Five years Integrated M.Sc. Mathematics (Semester - 8)

> Assessment Policy

060090802: Advanced Functional Analysis

| Assessment Code | Assessment Type | Duration of each | Occurrence | Each of <br> marks | Weightage in CIE of <br> 40 marks | Remarks |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A1 | Unit Test | 90 minutes | 2 | 30 | Unit Test 1: - After the completion of whole <br> unit 1 and Unit 2 (i.e. 2.1, 2.2, 2.3) <br> Unit Test 2: - After the completion of Unit 2 <br> (2.4, 2.5) and whole Unit 3 |  |
| A2 | Internal Exam | 3 hours | 1 | 14 | Cover Unit: - All Units |  |
| A3 | Assignment | 15 Days | 4 | 60 | $14 \times 1=14$ |  |
| A4 | Presentation/Viva | 20 Minutes | 1 | 5 | $1.75 \times 4=7$ | Cover Unit: - All Units |

## Assessment Type Classification:

| Assessment Code : | A1 | Coverage of Content : | From whole unit 1 and unit 2 (i.e. 2.1, 2.2, 2.3) |
| :--- | :--- | :--- | :--- |
| Assessment Type : | Unit Test 1 | Tentative Date : | 21/02/2019 |
| Kind of Question | Q1(A) Answer the following | $[1 \times 2=2]$ | $[1 \times 3=3]$ |
| Format: | Q1(B) Answer the following. (Any 1) | $[2 \times 5=10]$ |  |
|  | Q1(C) Answer the following. (Any 2) | $[1 \times 2=2]$ |  |
|  | Q2(A) Answer the following | $[1 \times 3=3]$ |  |
|  | Q2(B) Answer the following. (Any 1) | $[2 \times 5=10]$ |  |
|  | Q2(C) Answer the following. (Any 2) |  |  |
| Assessment: | Formative |  |  |


| Assessment Code: | A1 | Coverage of Content : | From Unit 2 (2.5, 2.6, 2.7, 2,8) and whole Unit 3 |
| :--- | :--- | :--- | :--- |
| Assessment Type: | Unit Test 2 | Tentative Date : | 28/03/2019 |


| Kind of Question Format: | Q1(A) Answer the following <br> Q1(B) Answer the following. (Any 1) <br> Q1(C) Answer the following. (Any 2) <br> Q2(A) Answer the following <br> Q2(B) Answer the following. (Any 1) <br> Q2(C) Answer the following. (Any 2) |  |  |
| :---: | :---: | :---: | :---: |
| Assessment : | Formative |  |  |
| Assessment Code: | A2 | Coverage of Content : | All Units |
| Assessment Type: | Internal Exam | Tentative Date : | 29/10/2018 |
| Kind of Question Format: | Same as University format |  |  |
| Assessment : | Summative |  |  |
| Assessment Code: | A3 | Coverage of Content : | All Units |
| Assessment Type: | Assignment |  |  |
| Rules: | 1. 20 ( 10 question +10 question given in each tutorial )questions from each unit will be given as assignment. <br> 2. Questions will be given in every tutorial lecture. <br> 3.7 days will be given for assignment submission. <br> 4. Zero marks will be given for submission after given deadline |  |  |
| Assessment : | Formative |  |  |
| Assessment Code: | A4 | Coverage of Content : | All Units |
| Assessment Type: | Presentation/Viva |  |  |
| Rules: | 1. Topic should be given from the syllabus before 20 days of the presentation. <br> 2. 15 minutes should be given for presentation <br> 3. Viva should be taken after completion of presentation <br> 4. Zero marks will be given, if students remain absent on the day of presentation without taking prior permission of leave or students not give the presentation of given topic. |  |  |
| Assessment : | Summative |  |  |

Course outcomes: Upon completion of the course, students shall be able to
C01: make use of the concept of normed space and Banach space in spectral theory and find the regular value, resolvent set and spectrum and recognize the properties of bounded linear operator and properties of resolvent and spectrum.
C02: apply the spectral theorem for compact linear operator on normed spaces \& Fredholm's alternative and analyse its properties of compact linear operators on normed space.
CO3: construct spectral theory for bounded self-adjoint linear operators on Hilbert space and categorize the spectral properties of bounded self-adjoint linear operators and use self-adjoint operator of Hilbert space to derive the positive operator, product of positive operator, monotone sequence, positive square root.
C04: organize the concept of orthogonal complement of Hilbert space to derive the projection operators and recognize the properties of projection and familiar with spectral family and use it in spectral family of a bounded self-adjoint linear operator and identifies its properties.
C05: Understand the concept of unbounded linear operator in Hilbert space and connect with differential equations and in quantum mechanics.

## Programme Outcomes (PO)

## P0 1: Knowledge

Provides knowledge about the fundamentals of pure, applied and computing mathematics and its applications to students that creates the opportunities in industries and research centers.

## PO 2: Core Competence

Creates competency in science and mathematics to formulate, analyses and solve problem and/or also to pursue advanced study or research.

## PO 3: Breadth

Trains students having good knowledge in unearth core of academia and industry by the roots of mathematics.

## PO 4: Evaluation

Imparts in students to raise trial and error based curiosity and problem solving functionality with research based advanced tutorial for higher level decision makings tools.

| Assessment <br> Code | Course Outcomes |  |  |  |  | Programme Outcomes |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | CO1 | CO2 | CO3 | CO4 | CO5 | PO1 | PO2 | PO3 | PO4 |
| A1 | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  | $\checkmark$ | $\checkmark$ |  | $\checkmark$ |
| A2 | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  |
| A3 | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  | $\checkmark$ |  | $\checkmark$ |
| A4 | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ | $\checkmark$ |  | $\checkmark$ | $\checkmark$ |

